

Reading: Haykin 3.1–3.4

1. **Nyquist 101:** Specify the Nyquist rate and Nyquist interval for each of the following signals. Note that $\text{sinc}(x) \equiv \frac{\sin(\pi x)}{\pi x}$.
 - (a) $g(t) = \text{sinc}(200t)$
 - (b) $g(t) = \text{sinc}^2(200t)$
 - (c) $g(t) = \text{sinc}(200t) + \text{sinc}^2(200t)$
2. **Nyquist 102:** Suppose we have samples of a signal $a_k = g(k\Delta)$ where Δ is shorter than the Nyquist interval for the bandlimited function $g(t)$. Derive an explicit time-domain expression for how we recover the function $g(t)$ from the samples $\{a_k\}$.
3. **Nyquist Grad School:** Does the Nyquist Sampling Theorem apply to strictly time limited signals? If not why not? If so, why? This problem is a bit subtle so think carefully and analytically (and justify any assumptions).
4. **Pulse Modulation**
 - (a) What is Pulse Amplitude Modulation? Provide a pictorial example.
 - (b) What is Pulse Position Modulation? Provide a pictorial example.
 - (c) What is Pulse Frequency Modulation? Provide a pictorial example.
 - (d) What is Pulse Width Modulation? Provide a pictorial example.
 - (e) Consider a full wave rectified AM signal $r(t) = m(t) \cos 2\pi f_c t$ where we assume $m(t) \geq 0 \forall t$. Assuming the highest frequency content of $m(t)$ is much less than f_c , can $r(t)$ be considered the approximate result of a pulse modulation method applied to $m(t)$? If so, which one?
5. **Problem 3.5 in Haykin**