

# Write Or Radiate

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UMBC CSEE Seminar  
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# PHYSICIST



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$$E = h\nu$$

$$E = mc^2$$

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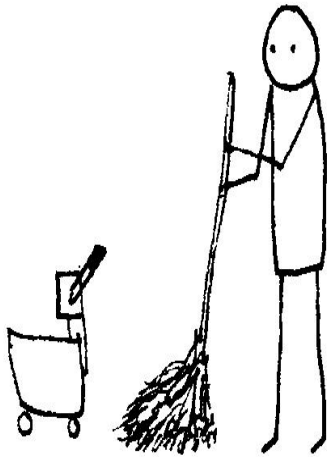
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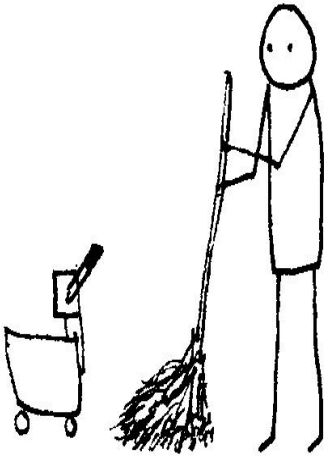
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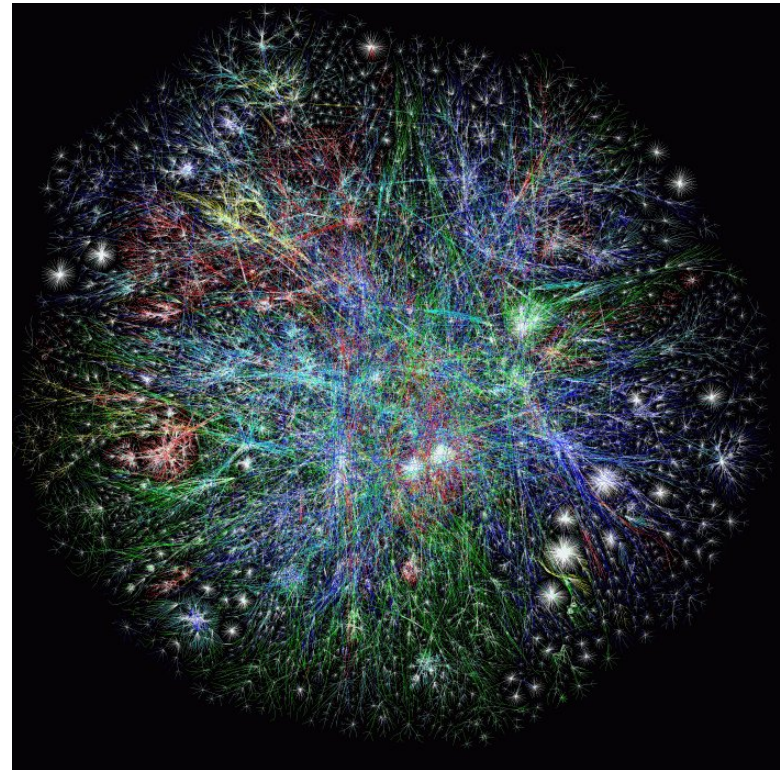
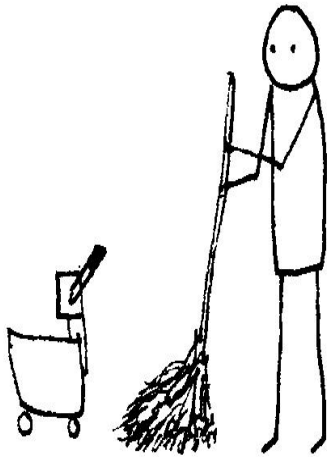
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## The Usual Cocktail Party Response





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**COMPLETELY RIDICULOUS, RIGHT??!!**

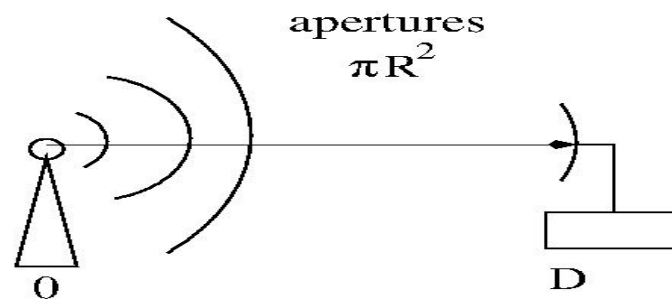
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## Look More Closely At What We Think We Know

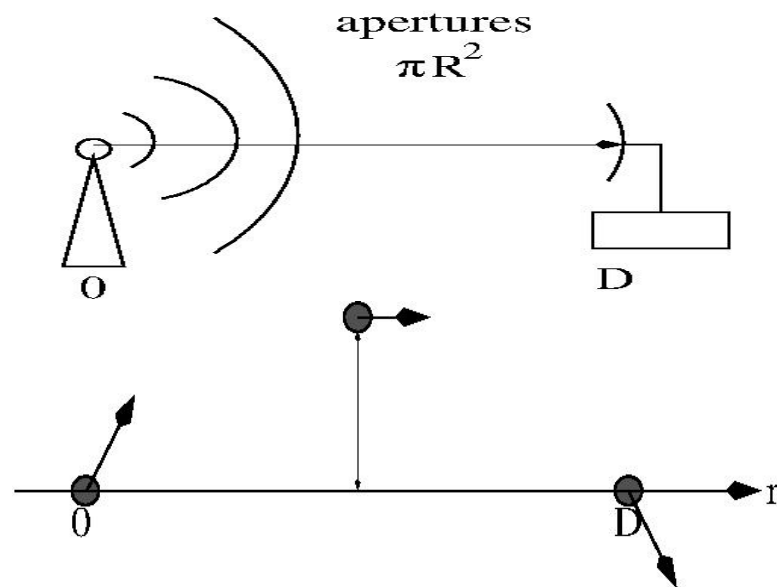
*A truck filled with storage media, driven across town, is a very reliable high bit rate channel.*

–Comm. Theory Collective Subconscious

## A Little Analytic Rigor

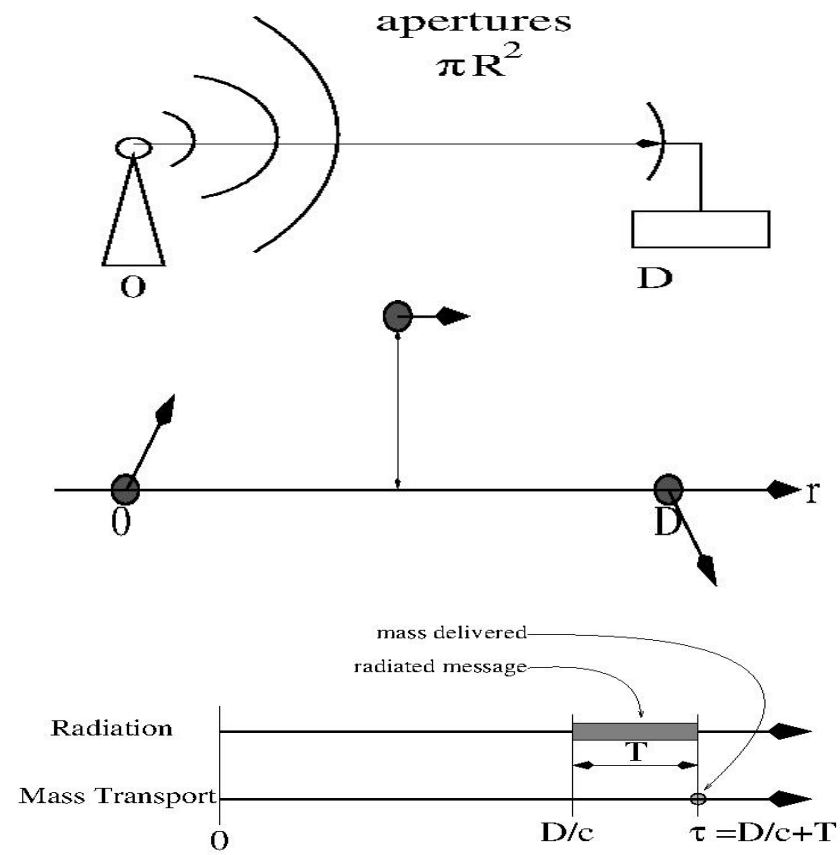


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- Large  $TW$ :

$$\mathcal{E}_r \geq BN_0 \left( \frac{4\pi D^2}{AG} \right) \ln 2$$

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## Writing Energy Requirements (ROCKET SCIENCE!)

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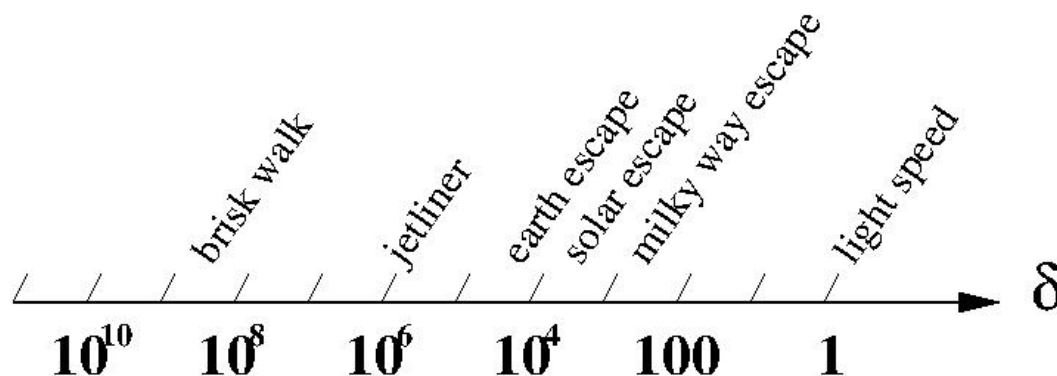
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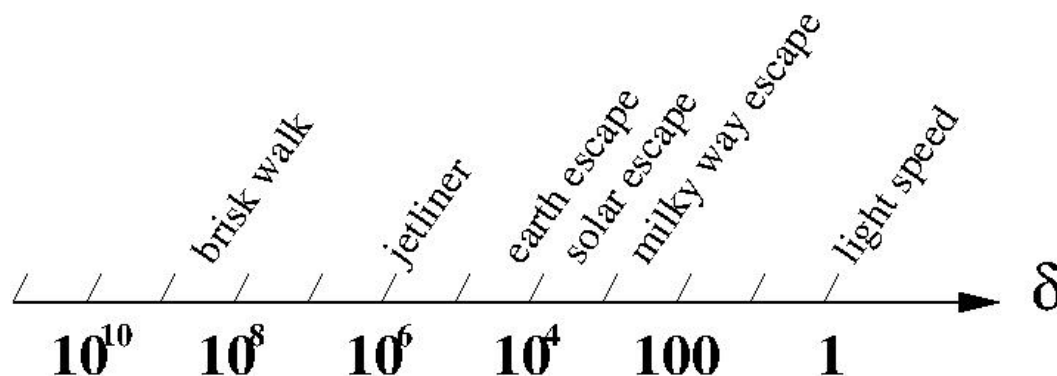
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**Artillery:** adds a factor of 2 to energy

**Escape:** small penalty if  $\bar{v} > 2 \times$  escape velocity

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$$\Rightarrow \Omega \geq \left[ \frac{\tilde{\rho} N_0}{c^2} \right] \left[ \frac{8}{\pi^2} \left( \frac{\mathcal{D}}{\mathcal{A}} \right)^2 \right] (2 \ln 2) \delta^2 \Leftarrow$$

Equal Receiver/Transmitter Apertures

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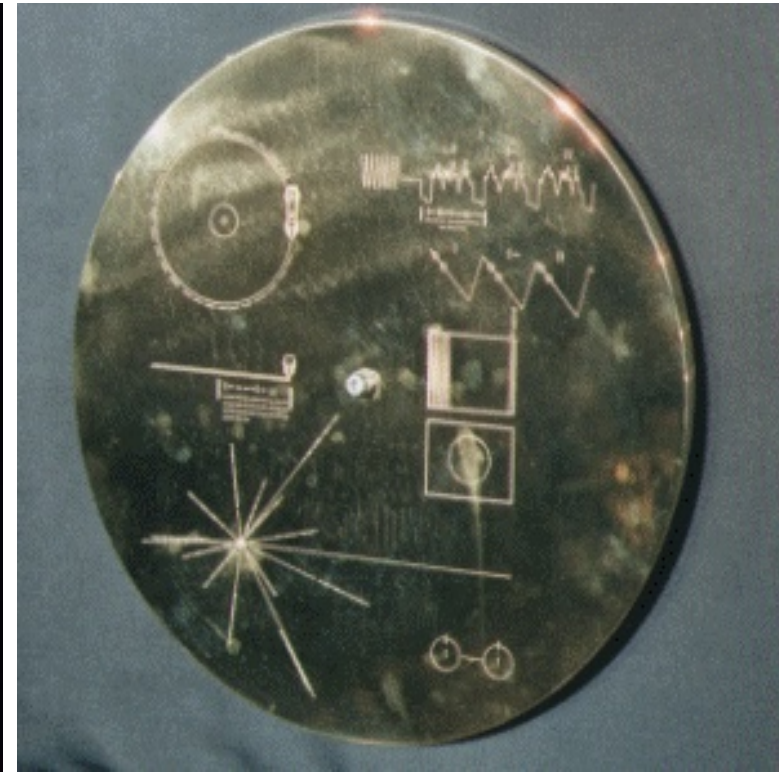
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**VERY antisocial!**



# Empirical Mass Information Densities I

Voyager spacecraft:  $10^6$  bits/kg



## Empirical Mass Information Densities II

- **20 lb paper @ 1000dpi:**  $2 \times 10^{10}$  bits/kg
- **DVD:**  $3 \times 10^{12}$  bits/kg
- **Magnetic Storage with FeO<sub>2</sub>:**  $2 \times 10^{17}$  bits/kg
- **Optical Lithography with SiO<sub>2</sub>:**  $3.85 \times 10^{18}$  bits/kg
- **E-beam Lithography with SiO<sub>2</sub>:**  $1.54 \times 10^{21}$  bits/kg
- **STM with Xe on Ni:**  $1.74 \times 10^{22}$  bits/kg
- **RNA:**  $3.6 \times 10^{24}$  bits/kg
- **Li + Be:**  $7.5 \times 10^{25}$  bits/kg

# Radiation vs. Inscribed Matter

## Terrestrial Artillery vs. Radiation

$$\tilde{\rho} = 3 \times 10^{24}$$

1 GHz Carrier

$R = 5\text{cm}$  (handheld receiver)

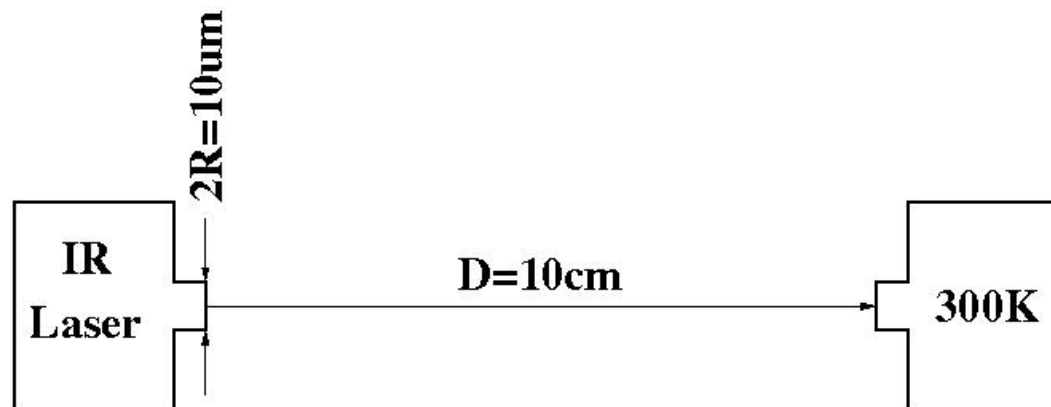
Temperature  $300K$

Range (meters)	Transit Time	$\Omega$
10	1.43 sec	$1.3 \times 10^7$
100	4.5 sec	$1.3 \times 10^8$
$10^3$	14.3 sec	$1.3 \times 10^9$
$10^4$	45 sec	$1.3 \times 10^{10}$

**Aside:**  $\approx 4$  minutes between NYC and Boston ballistically (320km).

## Wafer to Wafer Laser Links

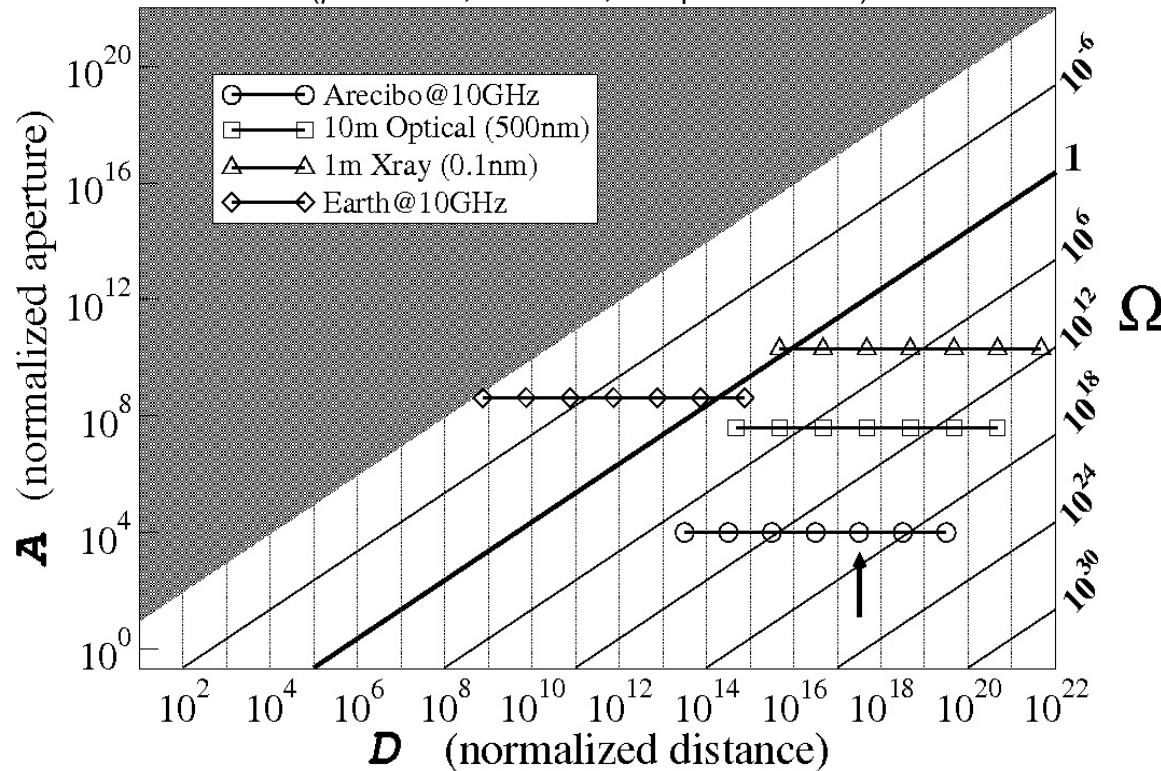
$$\delta = 10^9, \lambda = 1\mu\text{m}$$



Magnetic chits:  $\Omega \geq 10^4$   
STM-inscribed chits:  $\Omega \geq 5 \times 10^8$

# Interstellar

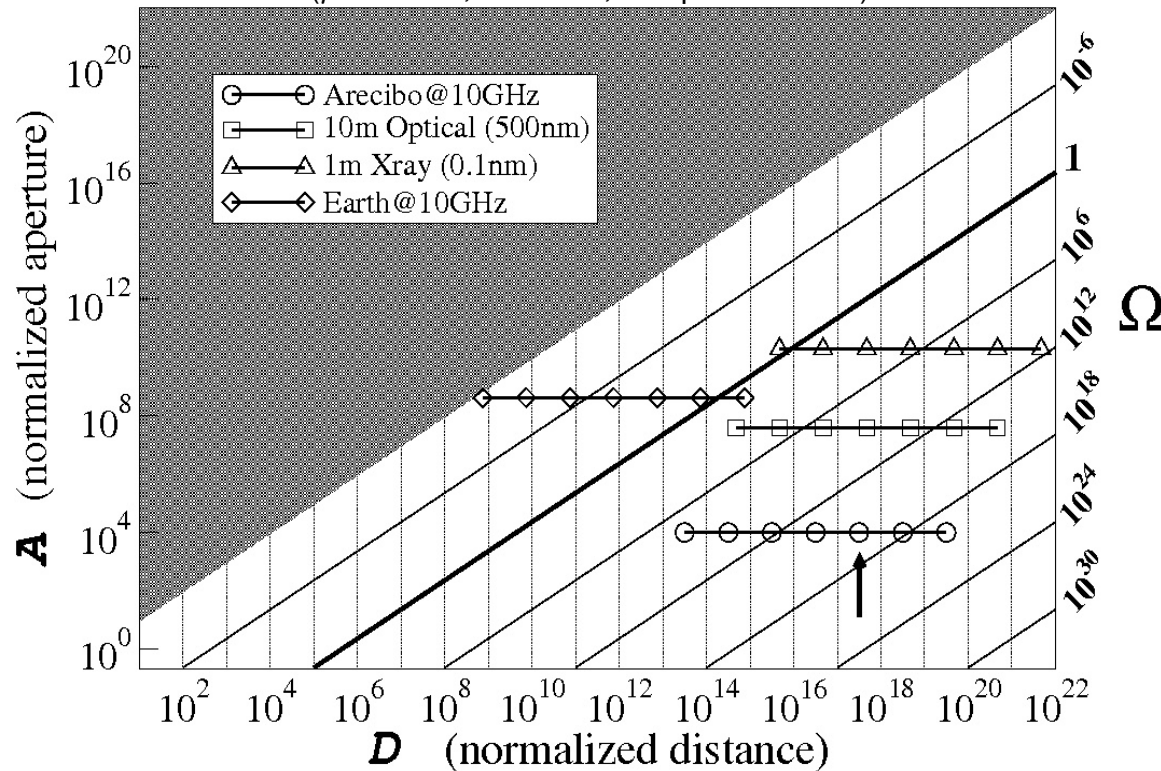
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Radiation/Matter: (24 megaton blast) / (Shelve 5 lb sugar bag)

## Voyager Existence Proof

- $10^9$  bit payload
- 900 kg mass
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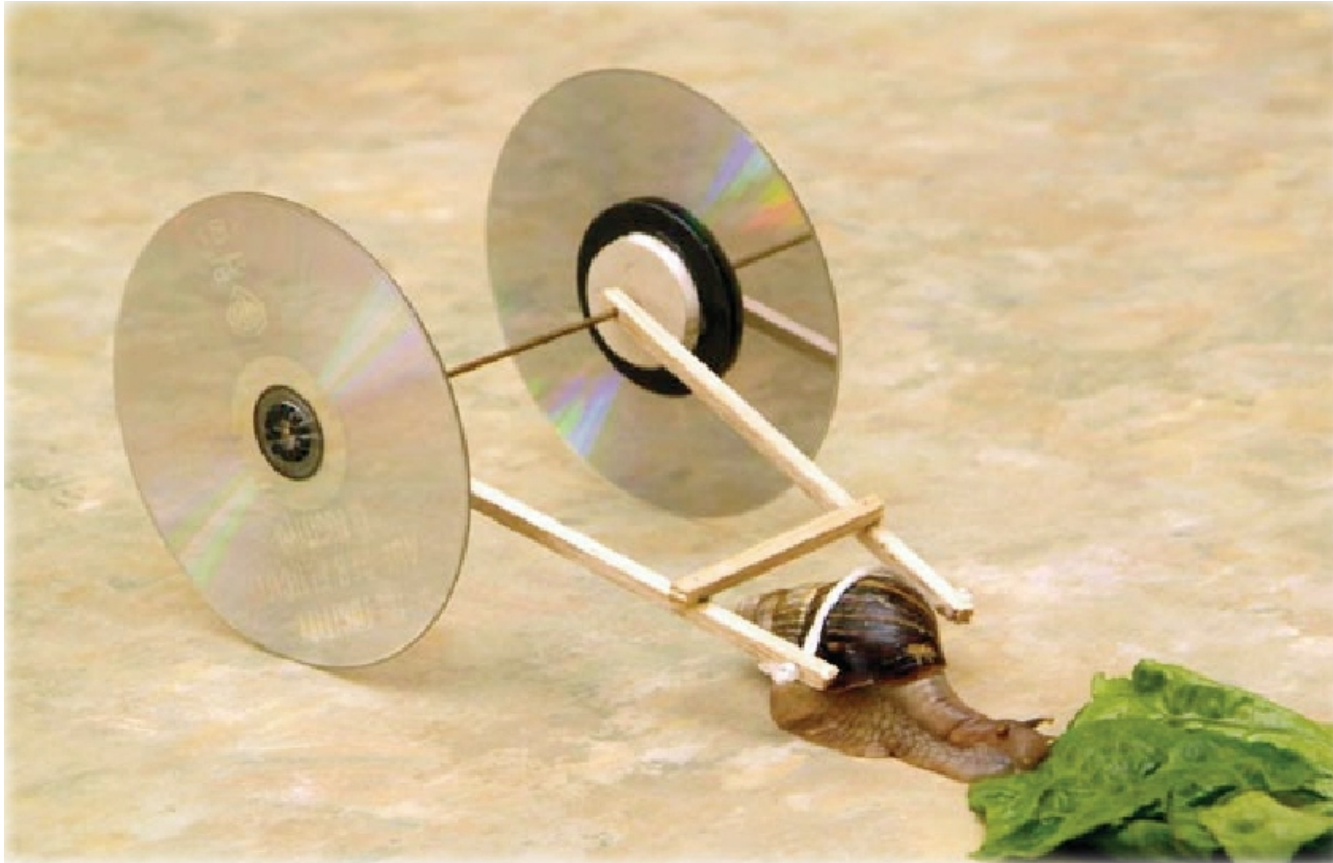
**Breakeven Distance:**  $\approx 2000$  light years

- Asides:
  - ETA nearest star:  $\approx 100$  kilo-years
  - Rocket Launch: distance up  $\times 9$ .
  - Use 3 DVDs (instead of gold disc): distance down  $\times 10$
  - Use 1 gram of “RNA”: distance down  $\times 10^6$   
( $\approx 1/4000$  distance to nearest star)

## Communications Theory Has Spoken

**If delay can be tolerated, inscribed matter is *stunningly* more energy-efficient than radiation**

## Sluggish Data vs. ADSL



Annals of Improbable Research 11(4), 2005

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**hey, Hey HEY!!!! What About ... ?**

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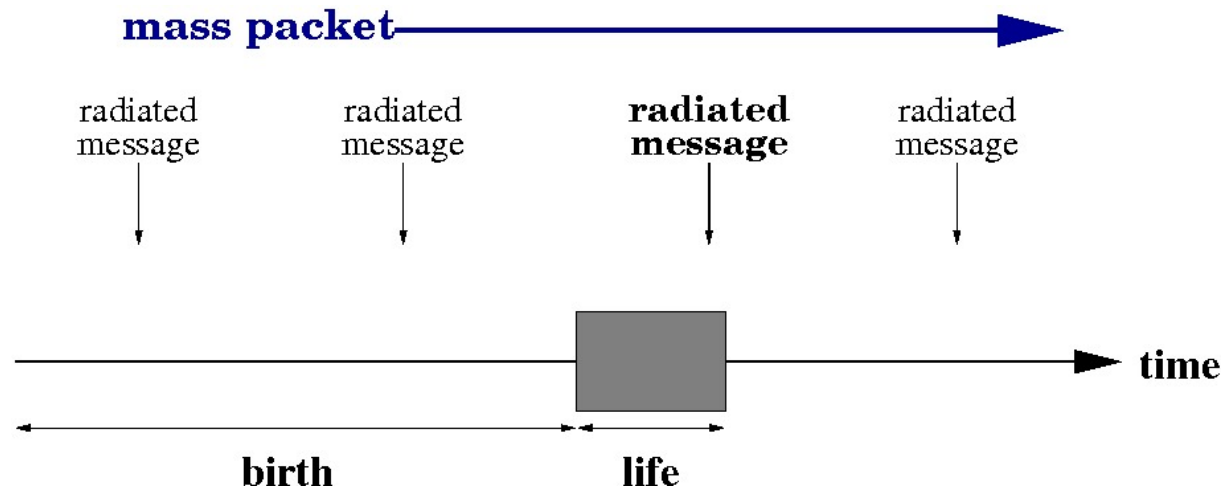
- **Radiation Penalty**

- Impermanence and Repetition
- Localizability

- **Matter Penalties**

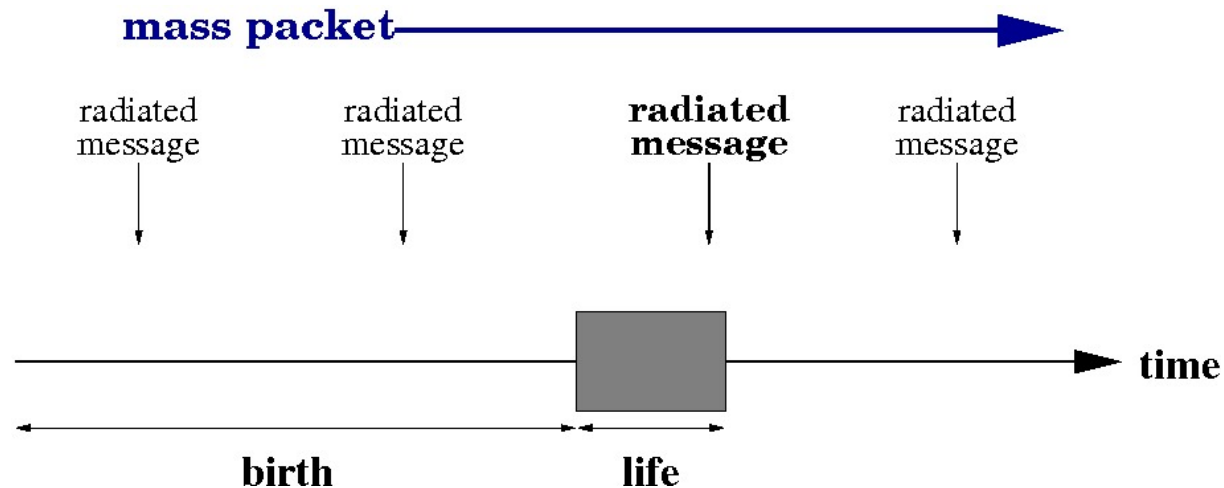
- Preservation
- Broadcast
- Inscription Energy
- Deceleration @Target
- Navigation
- Advertisement

## Matter Persists – Radiation Vanishes



- Civilization Birth Rate:  $\alpha = 1/10^9$  per year
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- Success criterion  $0 \leq \Phi \leq 1$
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  - $\Phi = 0.99 \rightarrow 2 \times 10^5$
  - $\Phi = 0.9999 \rightarrow 2 \times 10^7$



# Come Eat Me!



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- **Clever Composition, Coding and Correction?**

- need better channel characterization



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- Milky Way stellar density  $2.8 \times 10^{-2}$  stars (LY)<sup>-3</sup>
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**Visible Universe:**  $D = 1.37 \times 10^{10}$  LY

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**Construction energy probably not a problem**

## Parking the Package (traditional rocketry)

- Exhaust braking
- Energy penalty (excess mass):  $e^{\frac{c}{\delta g I_{sp}}}$
- $I_{sp} \equiv$  Specific Impulse
  - Chemical:  $10^2$
  - Nuclear Electric:  $10^4$
  - Fusion:  $10^6$
- $I_{sp} = 20,000, \delta = 1000 \rightarrow$  **penalty** 4.6
- $\delta = 100$  or  $I_{sp} = 2000 \rightarrow$  **penalty**  $4.4 \times 10^6$

## Gravitational Perturbations

$$\text{Angular Deflection: } \theta \approx \frac{2MG}{v_0^2 y_0} \text{ (radians)}$$

- $M = 2 \times 10^{30} \text{kg}$  (solar)
- $v_0 = c/1000$
- Stellar Density:  $2.8 \times 10^{-2} \text{ stars (LY)}^{-3}$
- 10kLY trip mean miss distance:  $\approx 0.14 \text{LY}$

**Aim not a big problem**

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## Message Advertisement?

# Solar Space is BIG

# Big Rock?



## Big Rock?



Somewhat antisocial

## Odd Rock?



## Seeded Comet?





## Active Probe?



## Micro Ark?



Are we there yet!?!?

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- Terrestrial
  - FedEx, Netflix, Snail Mail (literally!)
- Chip-to-chip or mote-to-mote
  - smart dust tossing inscribed dust
- Biological systems
  - construction/dispersal cost for messenger molecules

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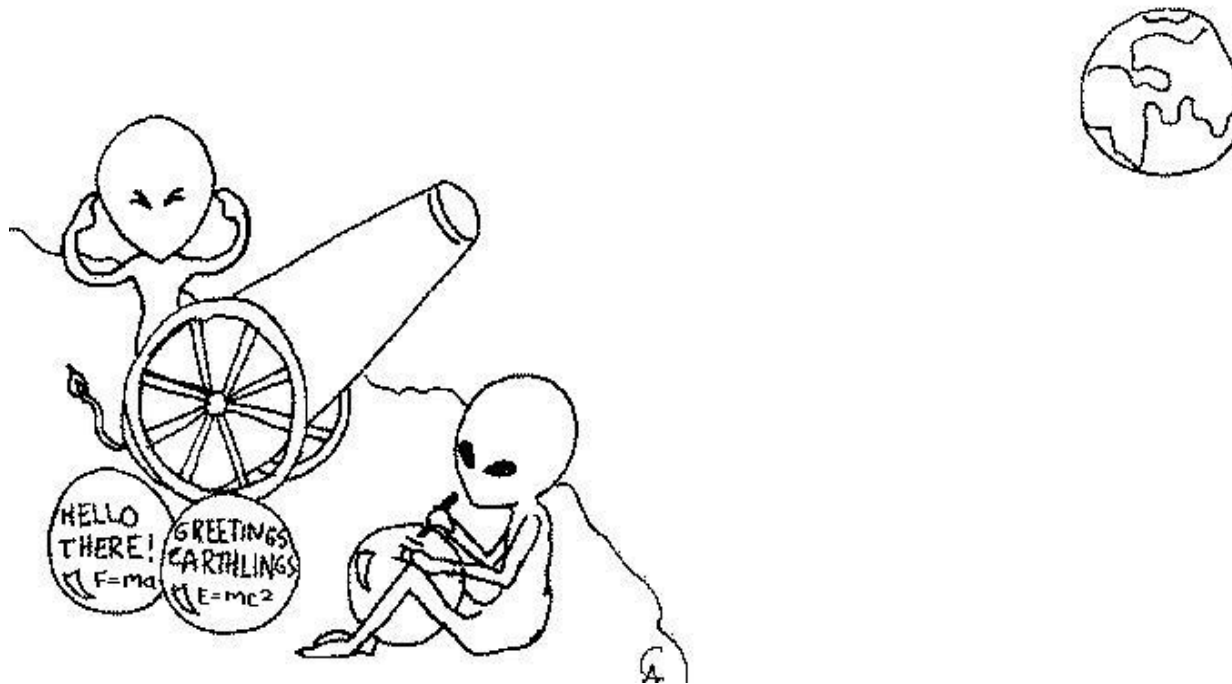
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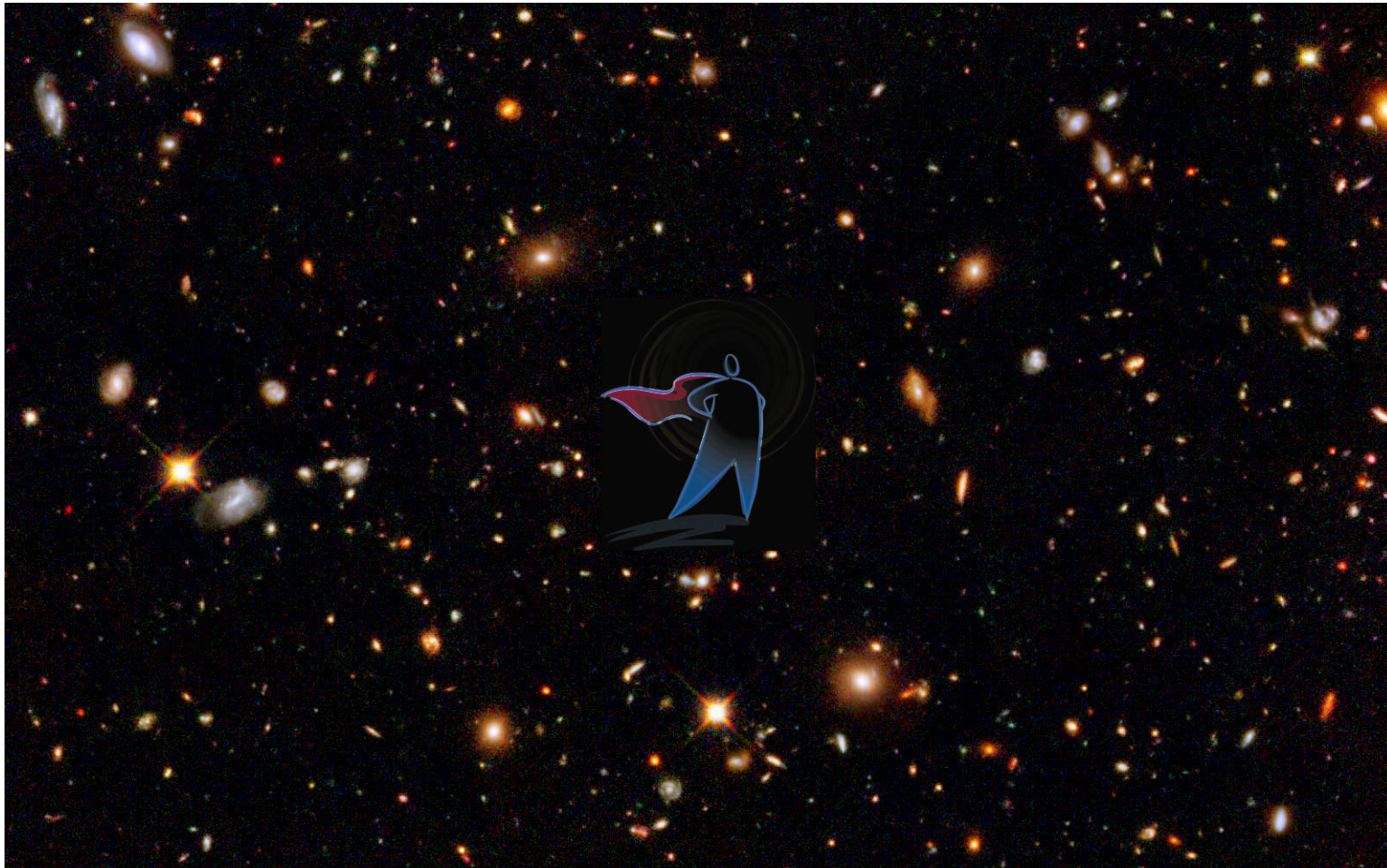
**But perhaps most important ...**

## Great Comm. Theory Party Banter



**AND...**

# COMMUNICATION THEORIST



## Learn More



**Nature** 431, pp.47–49, September 2, 2004

**Web Site:** <http://www.winlab.rutgers.edu/~crose/cgi-bin/cosmicP.html>