ET Might Write, Not Radiate

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A truck filled with storage media, driven across town, is a very reliable high bit rate channel.

-Comm. Theory Collective Subconscious

Christopher Rose





(right?)



- NYC/Boston Matter Transport Energy
 - 200 miles at 20 miles per gallon
 - -1.2×10^8 Joules per gallon
 - 100kg DVDs: ≈ 250000 bits/joule
- Equivalent Radiation Energy
 - Satellite: 5660 bits/joule

 $(3.5 \times 10^4$ km uplink, D^2 propagation, $1m^2$ dish)

– Terrestrial (320km, D^4 propagation): MUCH lower efficiency

But ad hoc comparisons are unsatisfying ...





• Energy capture

$$\mathbf{v}(D) = \frac{AG}{4\pi D^2}$$

• Shannon Capacity:

$$C = BT = W \log_2 \left(\frac{Pv(D)}{N_0 W} + 1\right)$$

•
$$E_r = PT$$
:

$$E_r = BN_0 \frac{4\pi D^2}{AG} \frac{TW}{B} \left[2^{\frac{B}{TW}} - 1\right]$$

• Large *TW*:

$$E_r \ge BN_0\left(\frac{4\pi D^2}{AG}\right)\ln 2$$

Minimum Transport Energy, *E**

 $E^* = \min_{x(t)} \max_t E(t)$



Minimum Transport Energy, E*

$$E^* = \min_{x(t)} \max_{t} E(t) = \frac{1}{2}m\bar{v}^2$$





Radiation to Transport Energy Ratio

$$\Omega \equiv \frac{E_r}{E_w}$$

Normalized Aperture $\equiv \mathcal{A} = \frac{2R}{\lambda}$ Normalized Distance $\equiv \mathcal{D} = \frac{D}{2R}$

$$\Rightarrow \left[\Omega \ge \left[\frac{\tilde{\rho} N_0}{c^2} \right] \left[\frac{8}{\pi^2} \left(\frac{\mathcal{D}}{\mathcal{A}} \right)^2 \right] (2 \ln 2) \delta^2 \right] \Leftarrow$$

Equal Receiver/Transmitter Apertures

Information Density, põ

How About Black Holes?

- Schwarzschild Radius: $r = 2GM/c^2 = 1.5X10^{-27}M$
- Info content goes as event horizon *surface area*: $10^{72}r^2$ bits

$$\tilde{\rho} = 1.5 \times 10^{45} r$$
 bits/kg

- Microhole (1 μ m radius): 1.5×10^{39} bits/kg
- Donut-hole sized hole (1cm radius): 1.5×10^{43} bits/kg

A wee bit impractical (and antisocial?)



Empirical Mass Information Densities II

- **20 lb paper** @ 1000dpi: 2 × 10¹⁰ bits/kg
- **DVD**: 3×10^{12} bits/kg
- Magnetic Storage with FeO₂: 2×10^{17} bits/kg
- **Optical Lithography** with SiO₂: 3.85×10^{18} bits/kg
- **E-beam Lithography** with SiO₂: 1.54×10^{21} bits/kg
- **STM** with Xe on Ni: 1.74×10^{22} bits/kg
- **RNA**: 3.6×10^{24} bits/kg
- **Li** + **Be**: 7.5×10^{25} bits/kg



Terrestrial Artillery vs. Radiation

 $\tilde{\rho} = 3 \times 10^{24}$, 1 GHz Carrier, R = 5cm, Temperature 300K

Range (meters)	Transit Time	Ω
10	1.43 sec	1.3×10^{7}
100	4.5 sec	1.3×10^{8}
10 ³	14.3 sec	1.3×10^{9}
104	45 sec	1.3×10^{10}

Aside: \approx 4 minutes between NYC and Boston ballistically (320km).







- 10⁹ bit payload
- 900 kg mass
- Catapult launch: about 800 joules/bit

Breakeven Distance: \approx 2000 light years

- Asides:
 - ETA nearest star: ≈ 100 kilo-years
 - Rocket Launch: distance up $\times 9$.
 - Use 3 DVDs (instead of gold disc): distance down $\times 10$
 - Use 1 gram of "RNA": distance down $\times 10^6$

 $(\approx 1/4000$ distance to nearest star)

Physics Has Spoken

Theoretically, matter is *stunningly* more energy-efficient than radiation

But what about ...



- Radiation
 - Impermanence and Repetition
- Matter
 - Broadcast
 - Inscription Energy
 - Deceleration At Target
 - Navigation
 - Preservation
 - Advertisement



Is Radiation Better for Broadcast?

Radiation illuminates many \rightarrow **matter penalty**

- Milky Way stellar density 2.8×10^{-2} stars (LY)⁻³
- Spherical galaxy, isotropic radiation, Arecibo-Arecibo
 - $R = 10^4$ LY: 1.13×10^{11} stars (but $\Omega \ge 10^{28}$)
 - $R = 10^{6}$ LY: 1.13×10^{17} stars (but $\Omega \ge 10^{32}$)

No, inscribed matter still wins!

Inscription Energy/Speed

- Matter Inscription/Readout Energy and Time
 - Can be reversible and abitrarily fast (R. Landauer)
- Empirical energy calc:
 - 60000 ATP/second for 20 minutes: 4639 Kbase of E-coli
 - 8×10^{-20} J per ATP molecule
 - $6.2 \times 10^{-19} \text{J bit}^{-1}$ ($\approx 4 \text{ eV bit}^{-1}$).
 - E^* at earth escape: 1.68×10^{-17} J bit⁻¹.

Construction energy probably not a problem



- Assume exhaust braking
- Energy penalty (excess mass): $e^{\frac{c}{\delta g I_{sp}}}$
- $I_{sp} \equiv$ Specific Impulse
 - Chemical: 10^2
 - Nuclear Electric: 10^4
 - Fusion: 10^6
- $I_{sp} = 20,000, \, \delta = 1000 \rightarrow \text{penalty } 4.6$
- $\delta = 100 \text{ or } I_{sp} = 2000 \rightarrow \text{ penalty } 4.4 \times 10^6$

Gravitational Perturbations

Angular Deflection: $\theta \approx \frac{2MG}{v_0^2 y_0}$ (radians)

- $M = 2 \times 10^{30}$ kg (solar)
- $v_0 = c/1000$
- Stellar Density: 2.8×10^{-2} stars (LY)⁻³
- 10kLY trip mean miss distance: ≈ 0.14 LY

Aim not a big problem

Cosmic Insults

• Insults:

- High energy particle bombardment
- Heating (diffusion)
- Ion tracks, dislocations, subatomic cascades

• Shielding:

- 10 million years at 10% bacteria viability: 3 m radius rock (3g cm⁻³ density)
- **penalty:** 3.4×10^{6}
- Clever Composition, Coding and Correction?
 - need better channel characterization





















Noah's micro-ark?

CONCLUSION

IF: energy important & delay acceptable

THEN: inscribed matter messaging is effi cient

- Terrestrial
 - FedEx and Netflix
- Chip-to-chip or mote-to-mote
 - smart dust tossing inscribed dust
- Biological systems
 - construction/dispersal cost for messenger molecules

And perhaps most interesting ...





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