## Will ET Write or Radiate?

(the unreasonable efficiency of messages in a bottle)

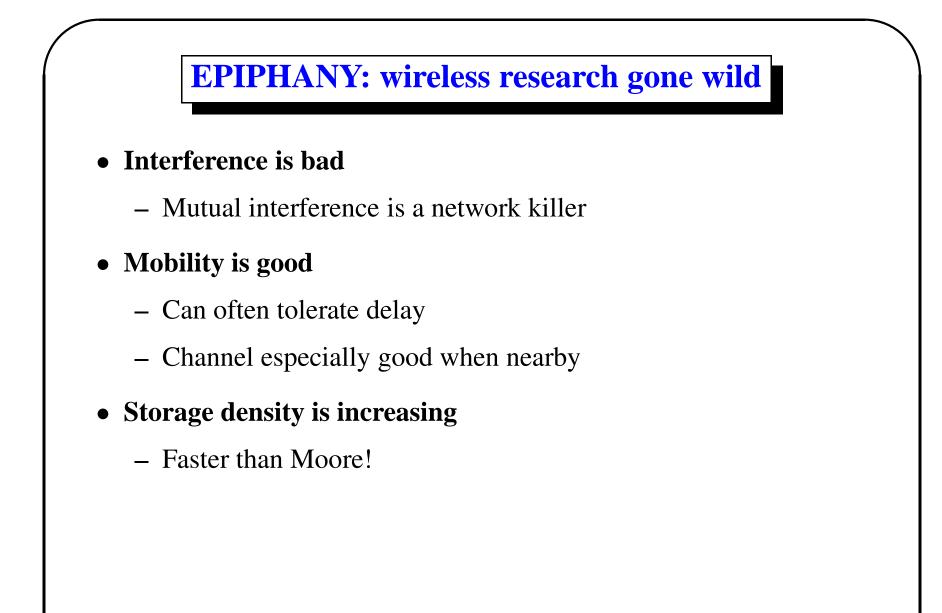
Christopher Rose WINLAB

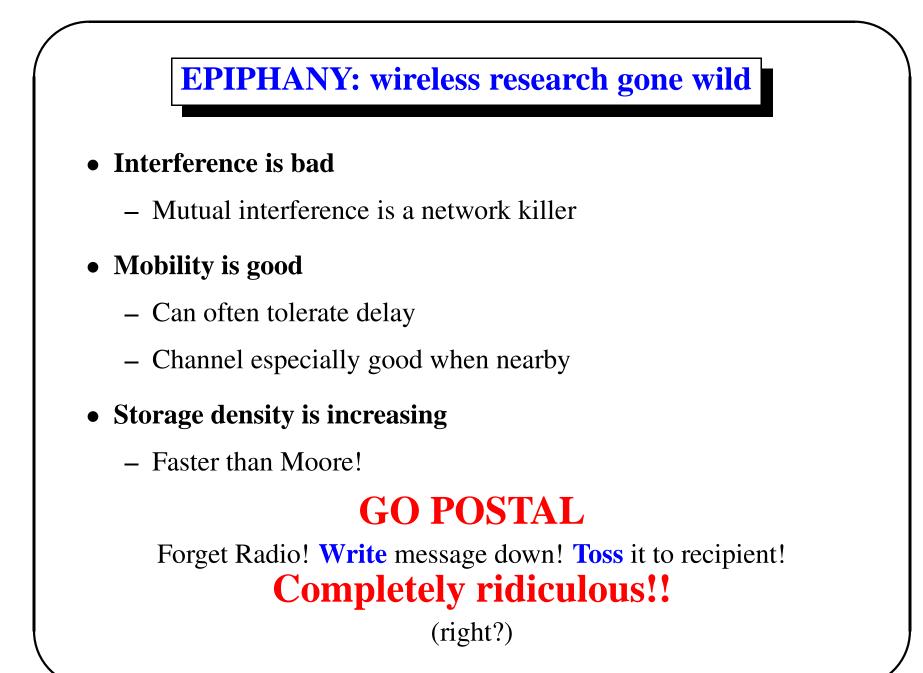
Rutgers University Piscataway, New Jersey 08854 USA

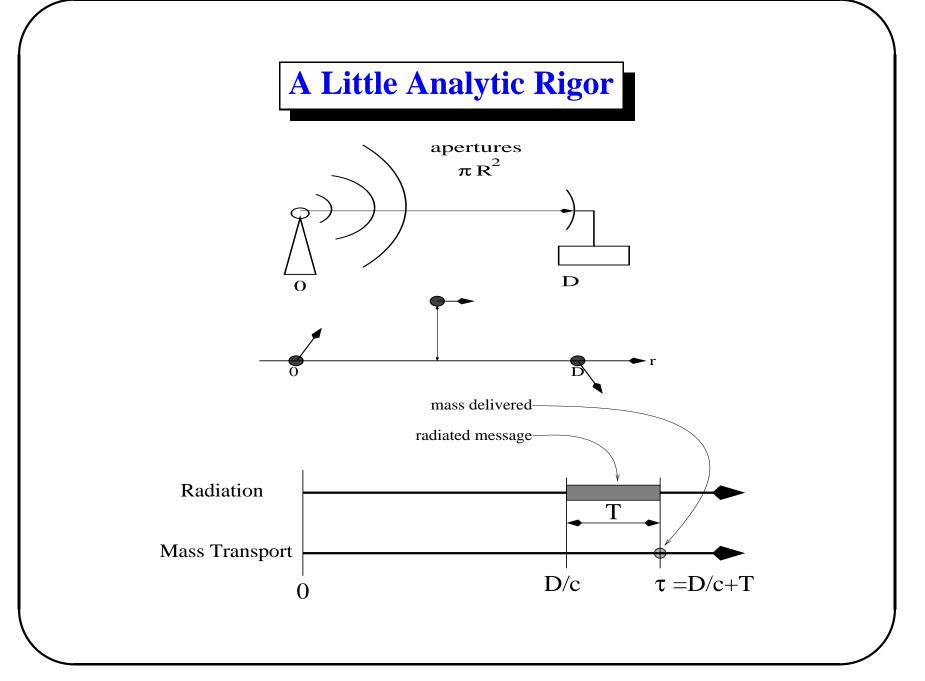
May 10, 2006

# A truck filled with storage media, driven across town, is a very reliable high bit rate channel.

-Comm. Theory Collective Subconscious









• Energy capture

$$\mathbf{v}(D) = \frac{AG}{4\pi D^2}$$

• Shannon Capacity:

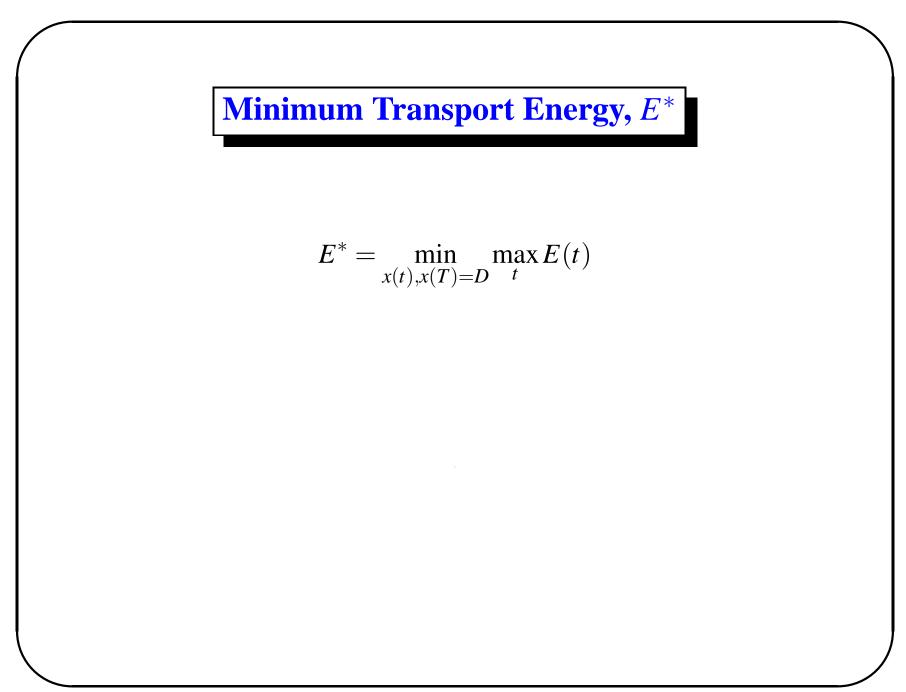
$$C = BT = W \log_2 \left(\frac{Pv(D)}{N_0 W} + 1\right)$$

• 
$$E_r = PT$$
:

$$E_r = BN_0 \frac{4\pi D^2}{AG} \frac{TW}{B} \left[2^{\frac{B}{TW}} - 1\right]$$

• Large *TW*:

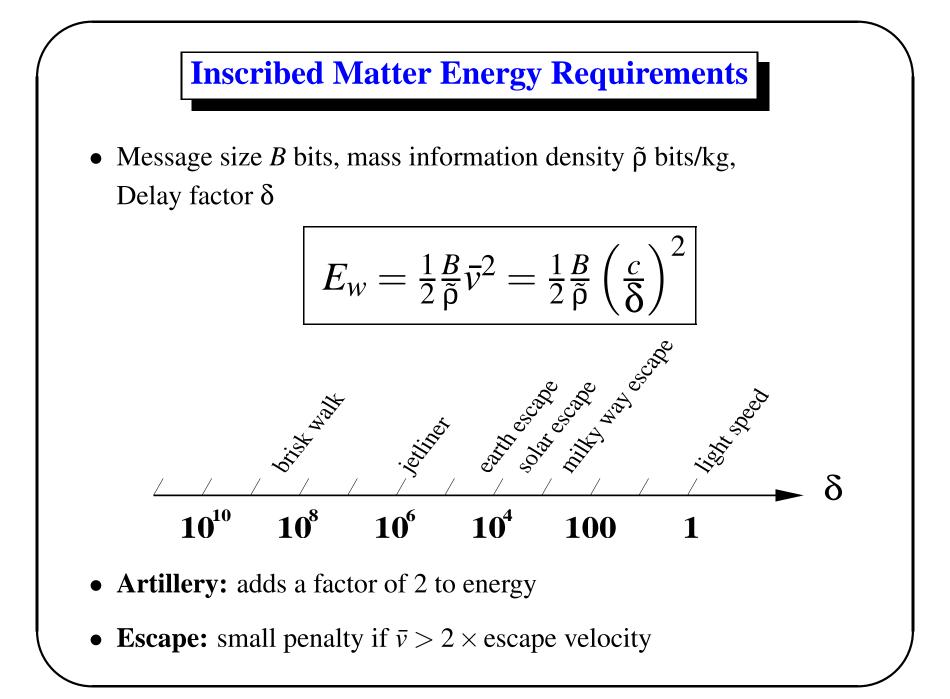
$$E_r \ge BN_0\left(\frac{4\pi D^2}{AG}\right)\ln 2$$



## **Minimum Transport Energy,** $E^*$

$$E^* = \min_{x(t), x(T) = D} \max_{t} E(t) = \frac{1}{2}m\bar{v}^2$$





### **Radiation to Transport Energy Ratio**

$$\Omega \equiv \frac{E_r}{E_w}$$

Normalized Aperture  $\equiv \mathcal{A} = \frac{2R}{\lambda}$ Normalized Distance  $\equiv \mathcal{D} = \frac{D}{2R}$ 

$$\Rightarrow \left[ \Omega \ge \left[ \frac{\tilde{\rho} N_0}{c^2} \right] \left[ \frac{8}{\pi^2} \left( \frac{\mathcal{D}}{\mathcal{A}} \right)^2 \right] (2 \ln 2) \delta^2 \right] \Leftarrow$$

Equal Receiver/Transmitter Apertures

## Information Density, $\tilde{\rho}$

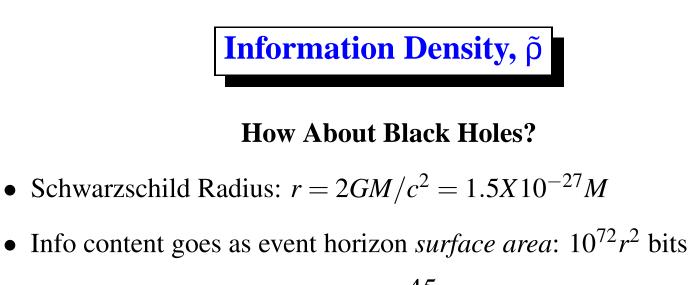
### **How About Black Holes?**

- Schwarzschild Radius:  $r = 2GM/c^2 = 1.5X10^{-27}M$
- Info content goes as event horizon *surface area*:  $10^{72}r^2$  bits

$$\tilde{\rho} = 1.5 \times 10^{45} r$$
 bits/kg

- Microhole (1 $\mu$ m radius):  $1.5 \times 10^{39}$  bits/kg
- Donut-hole sized hole (1cm radius):  $1.5 \times 10^{43}$  bits/kg

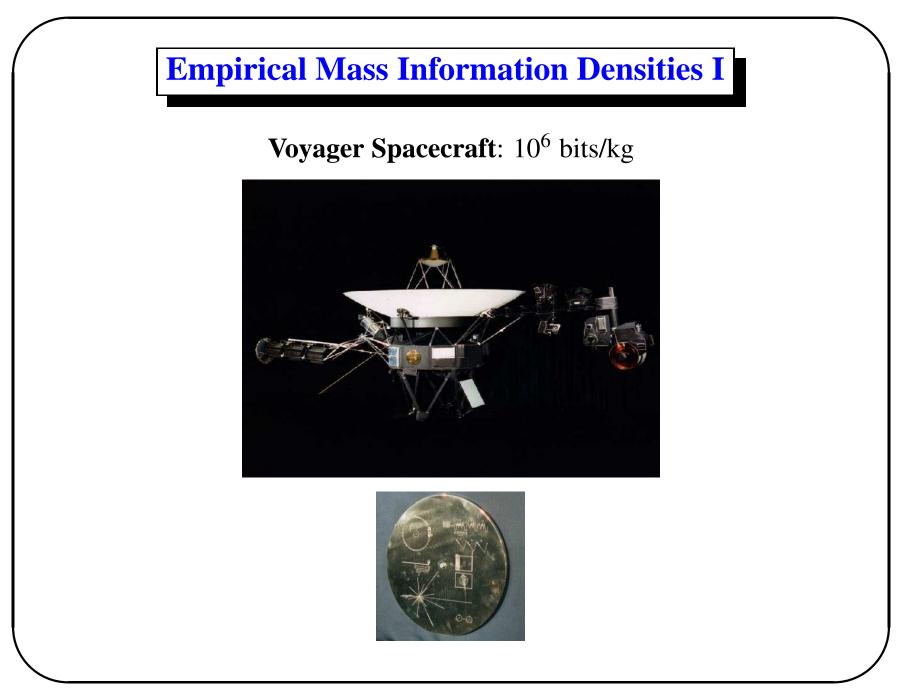
# A wee bit impractical?



$$\tilde{\rho} = 1.5 \times 10^{45} r$$
 bits/kg

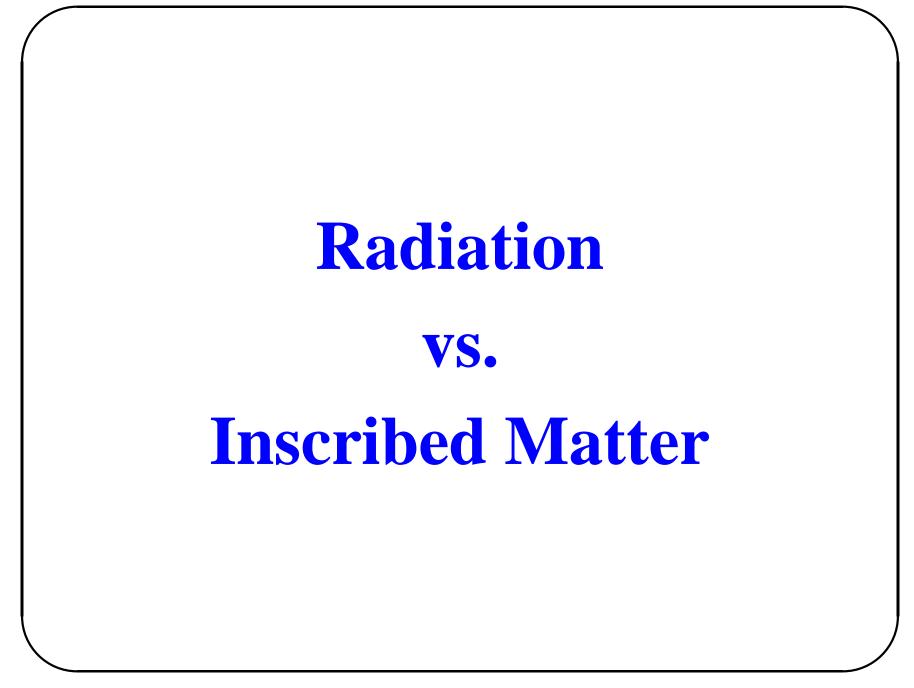
- Microhole (1 $\mu$ m radius):  $1.5 \times 10^{39}$  bits/kg
- Donut-hole sized hole (1cm radius):  $1.5 \times 10^{43}$  bits/kg

## **VERY antisocial!**



## **Empirical Mass Information Densities II**

- **20 lb paper** @ 1000dpi: 2 × 10<sup>10</sup> bits/kg
- **DVD**:  $3 \times 10^{12}$  bits/kg
- Magnetic Storage with FeO<sub>2</sub>:  $2 \times 10^{17}$  bits/kg
- **Optical Lithography** with SiO<sub>2</sub>:  $3.85 \times 10^{18}$  bits/kg
- **E-beam Lithography** with SiO<sub>2</sub>:  $1.54 \times 10^{21}$  bits/kg
- **STM** with Xe on Ni:  $1.74 \times 10^{22}$  bits/kg
- **RNA**:  $3.6 \times 10^{24}$  bits/kg
- **Li** + **Be**:  $7.5 \times 10^{25}$  bits/kg

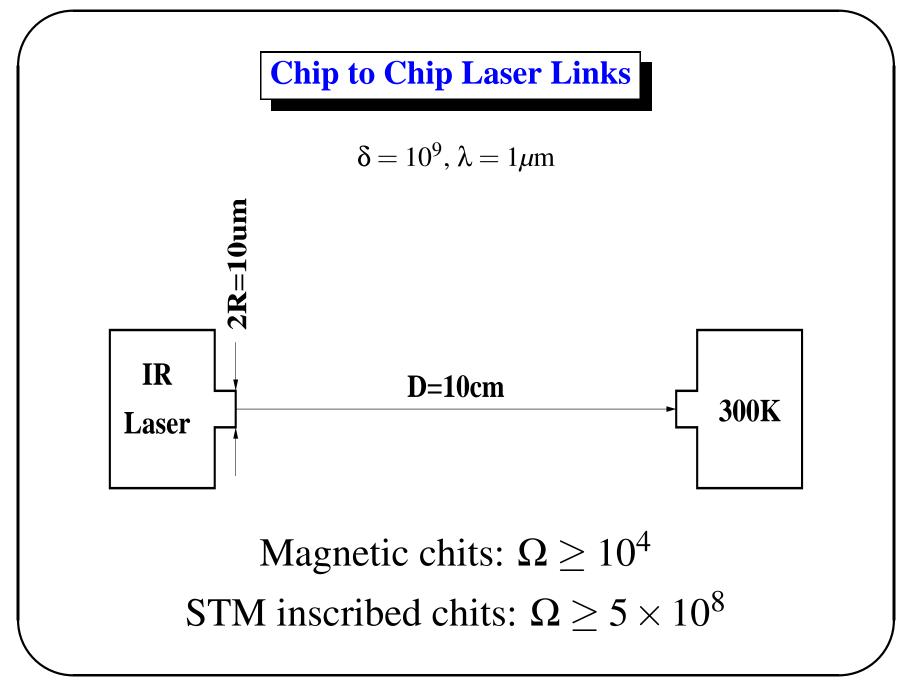


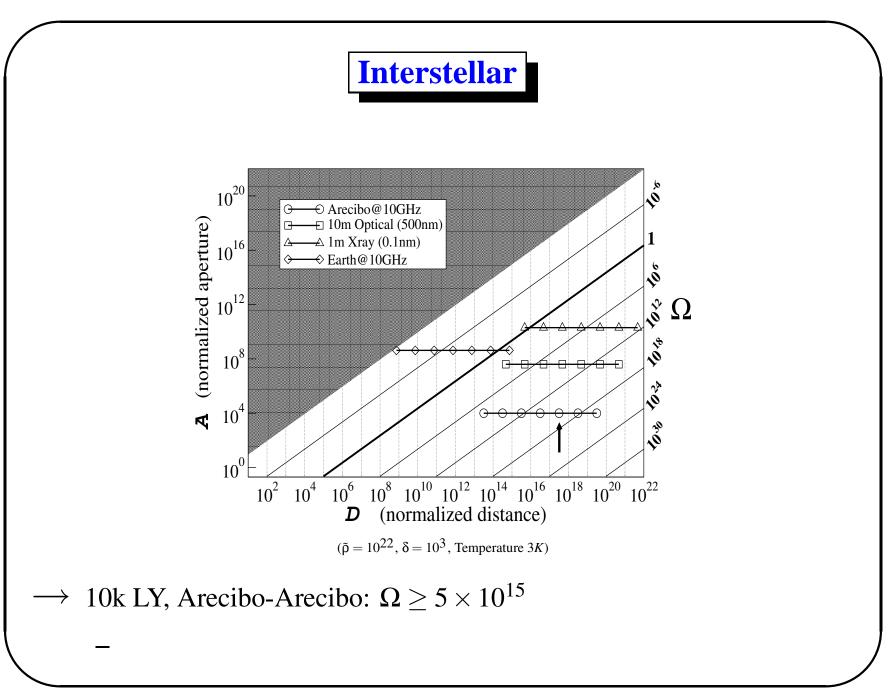
### **Terrestrial Artillery vs. Radiation**

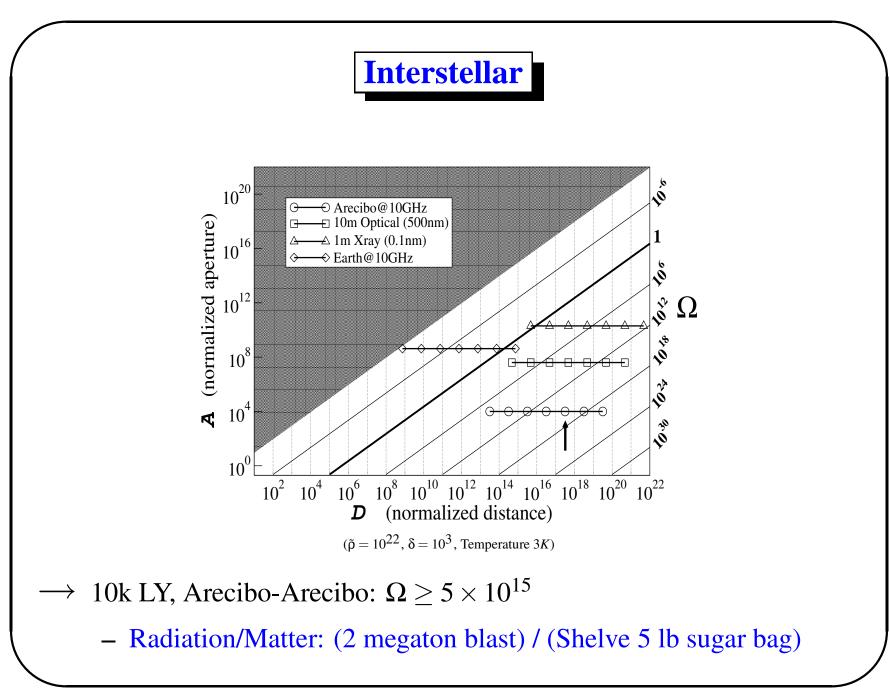
 $\tilde{\rho} = 3 \times 10^{24}$ , 1 GHz Carrier, R = 5cm, Temperature 300K

Range (meters)	Transit Time	Ω
10	1.43 sec	$1.3 \times 10^{7}$
100	4.5 sec	$1.3 \times 10^{8}$
10 <sup>3</sup>	14.3 sec	$1.3 \times 10^{9}$
104	45 sec	$1.3 \times 10^{10}$

Aside:  $\approx$  4 minutes between NYC and Boston ballistically (320km).









- 10<sup>9</sup> bit payload
- 900 kg mass
- Catapult launch: about 800 joules/bit Breakeven Distance:  $\approx 2000$  light years
- Asides:
  - ETA nearest star:  $\approx 100$  kilo-years
  - Rocket Launch: distance up  $\times 9$ .
  - Use 3 DVDs (instead of gold disc): distance down  $\times 10$
  - Use 1 gram of "RNA": distance down  $\times 10^6$

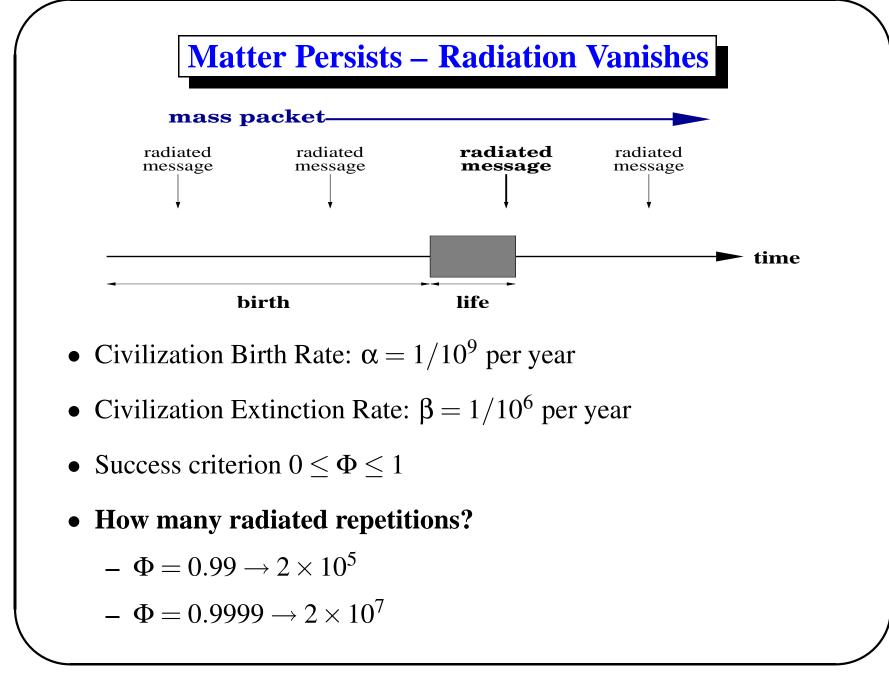
 $(\approx 1/4000$  distance to nearest star)

**Physics Has Spoken** 

# Theoretically, matter is *stunningly* more energy-efficient than radiation But what about ...



- Radiation
  - Impermanence and Repetition
- Matter
  - Broadcast
  - Inscription Energy
  - Deceleration At Target
  - Navigation
  - Shielding
  - Advertisement



## **Is Radiation Better for Broadcast?**

### **Radiation illuminates many** $\rightarrow$ **matter penalty**

- Milky Way stellar density  $2.8 \times 10^{-2}$  stars (LY)<sup>-3</sup>
- Spherical galaxy, isotropic radiation, Arecibo-Arecibo
  - $R = 10^4$  LY:  $1.13 \times 10^{11}$  stars (but  $\Omega \ge 10^{28}$ )
  - $R = 10^{6}$  LY:  $1.13 \times 10^{17}$  stars (but  $\Omega \ge 10^{32}$ )

## No, inscribed matter still wins!



- Assume exhaust braking
- Energy penalty (excess mass):  $e^{\frac{c}{\delta g I_{sp}}}$
- $I_{sp} \equiv$  Specific Impulse
  - Chemical:  $10^2$
  - Nuclear Electric:  $10^4$
  - Fusion:  $10^6$
- $I_{sp} = 20,000, \delta = 1000 \rightarrow \text{penalty } 4.6$
- $\delta = 100 \text{ or } I_{sp} = 2000 \rightarrow \text{ penalty } 4.4 \times 10^6$

### **Gravitational Perturbations**

Angular Deflection:  $\theta \approx \frac{2MG}{v_0^2 y_0}$  (radians)

- $M = 2 \times 10^{30}$ kg (solar)
- $v_0 = c/1000$
- Stellar Density:  $2.8 \times 10^{-2}$  stars (LY)<sup>-3</sup>
- 10kLY trip mean miss distance:  $\approx 0.14$ LY

# Aim not a big problem

## **Cosmic Insults**

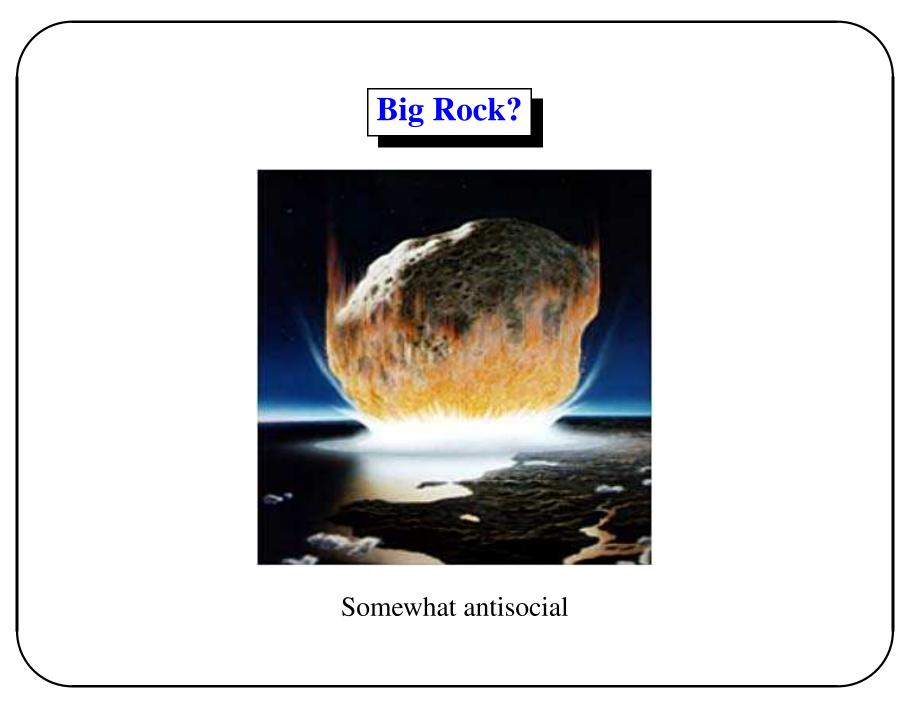
#### • Insults:

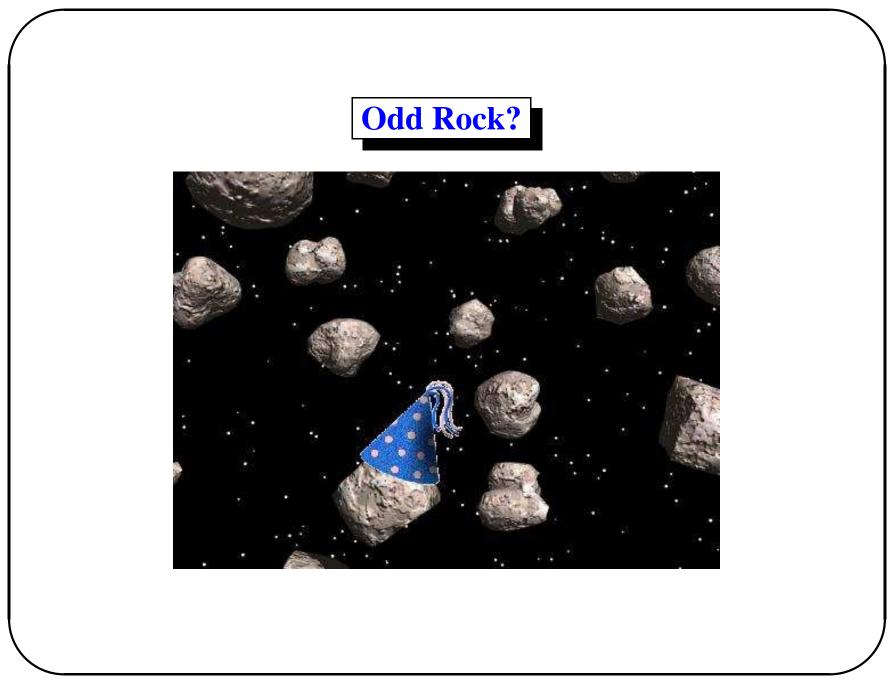
- Spallation
- Heating (diffusion)
- Ion tracks, dislocations, subatomic cascades

### • Shielding:

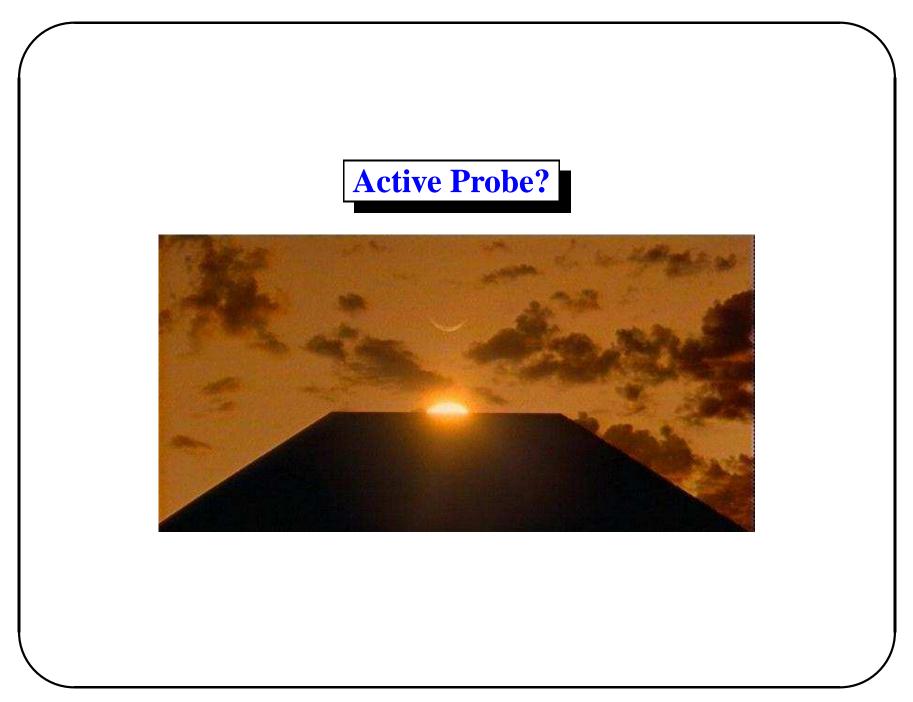
- 10 million years at 10% bacteria viability: 3 m radius rock (3g cm<sup>-3</sup> density)
- penalty:  $3.4 \times 10^6$















Noah's micro-ark?

